

銀河中心および反中心方
向のアーム距離決定
 dv/dl 法

祖父江義明

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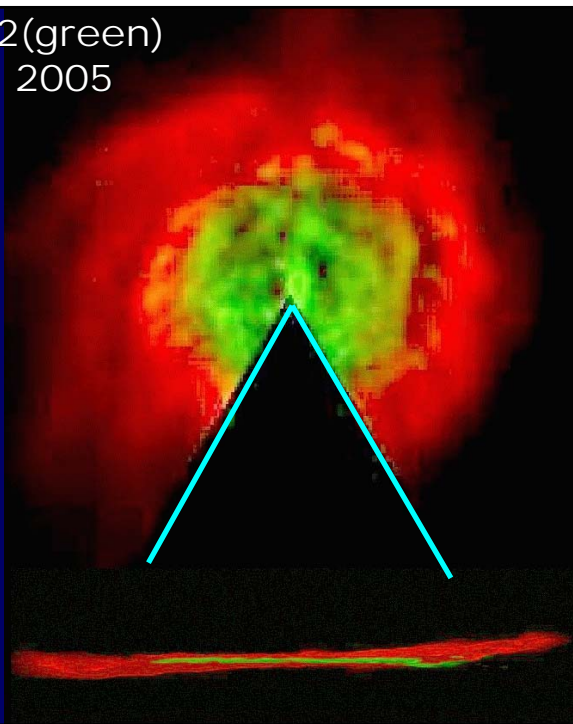
回転速度場から
星間物質の分布を求める

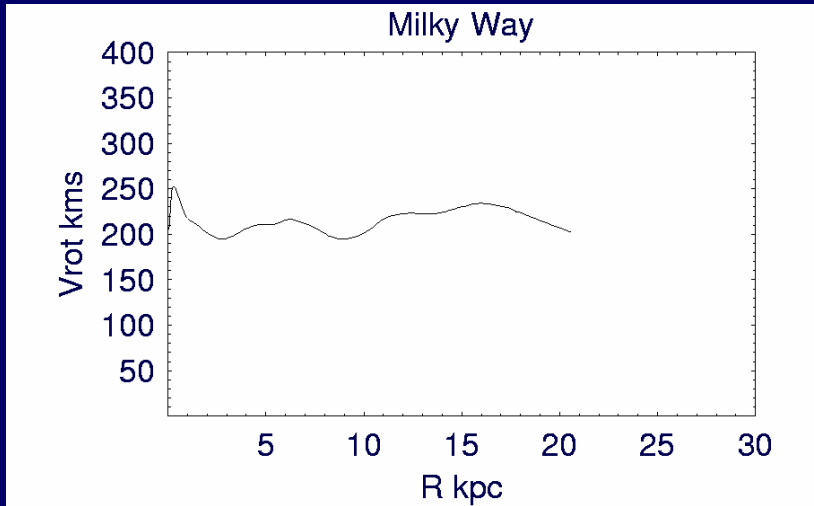
V R法

Velo-to-Space Transform

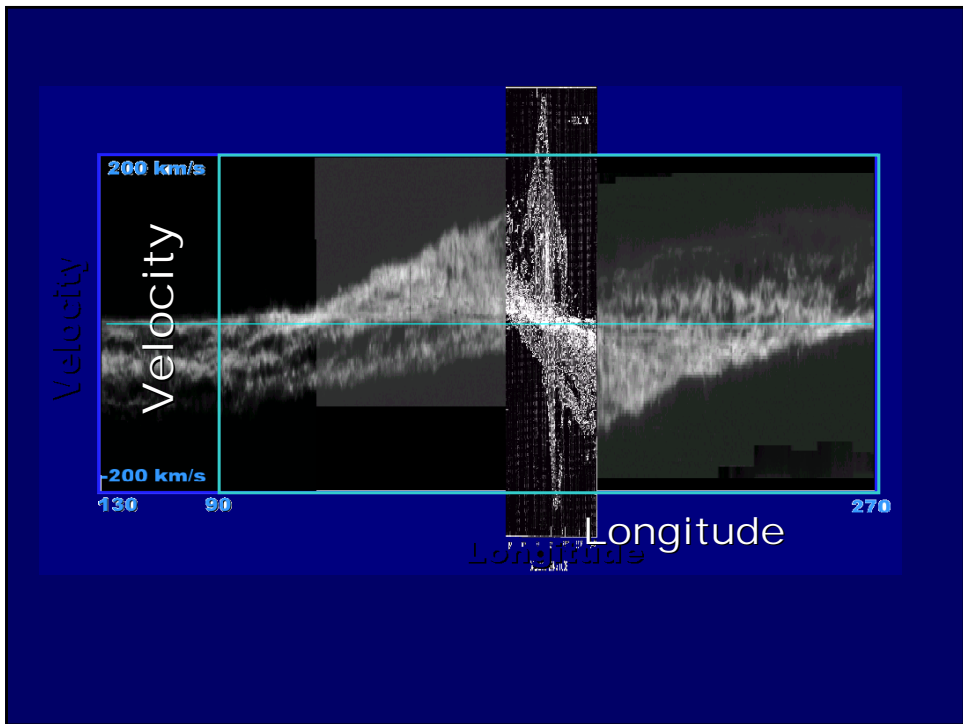
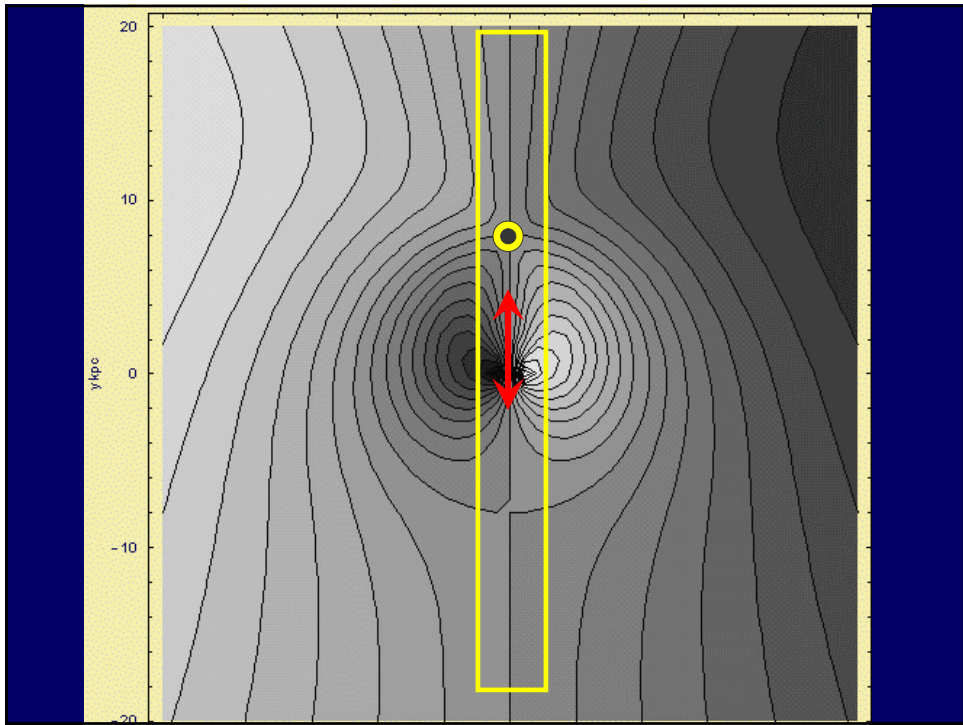
GC - 太陽間で
測度 = 0 に縮退して
距離不確定

HI(red)+H2(green)
Nakanishi 2005





$$v = R_0(\omega - \omega_0) \sin l = \left\{ \frac{R_0}{R} V - V_0 \right\} \sin l,$$



Zone of untransformable

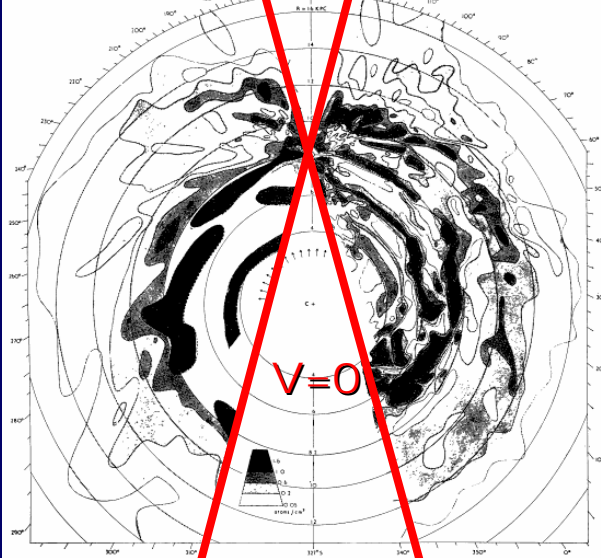
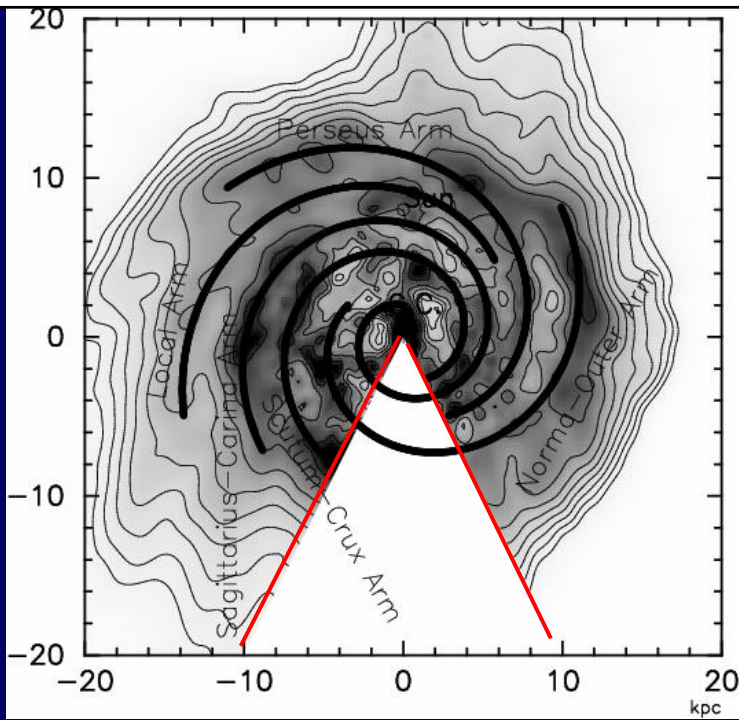


FIG. 4.—Distribution of neutral hydrogen in the Galactic System. The maximum densities in the z-direction are projected on the galactic plane, and contours are drawn through the points.

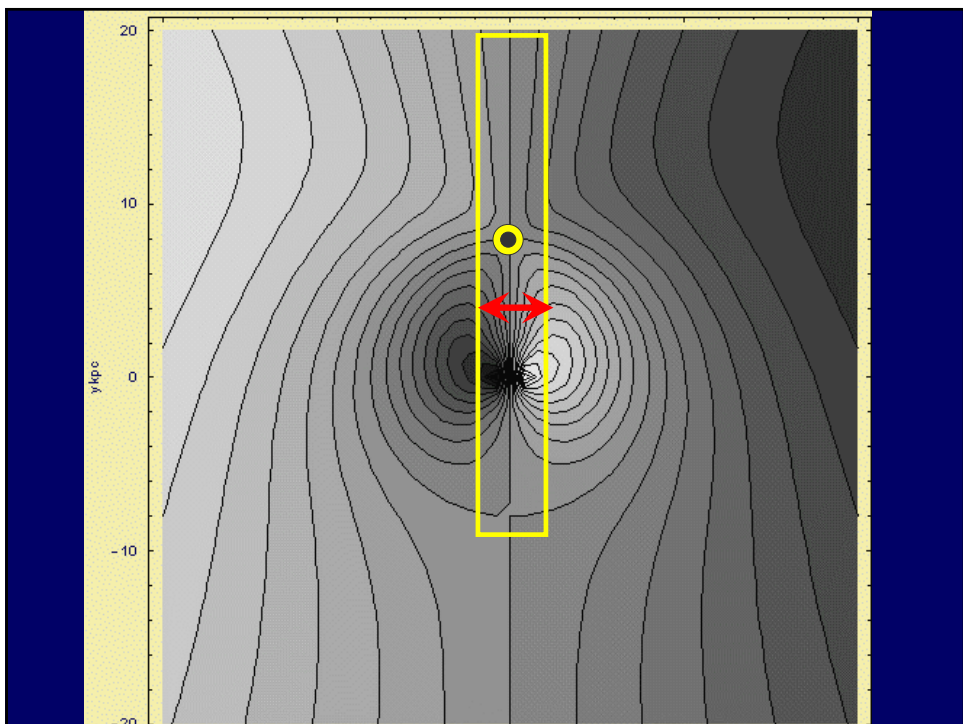
HI Face-on View of the Galaxy
Oort, Kerr et al 1958

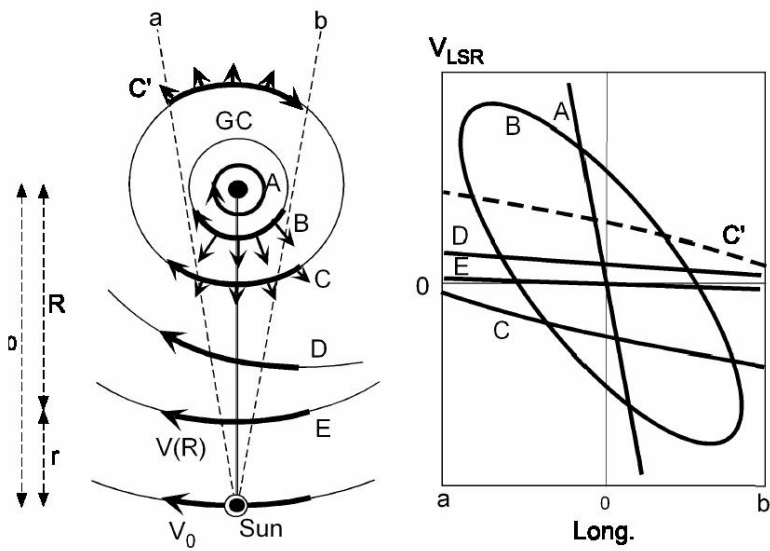
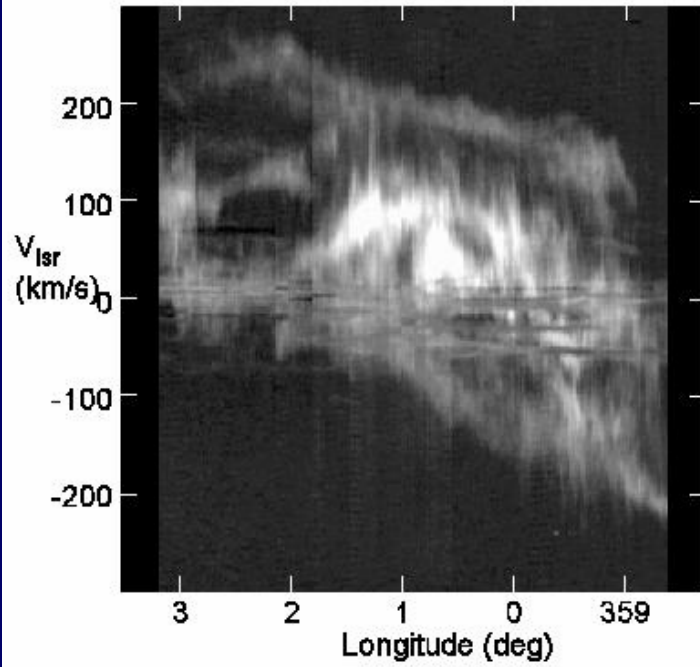


dv/dl 法

New!

GC - 太陽間で距離決定
ただしArm (ridge)のみ





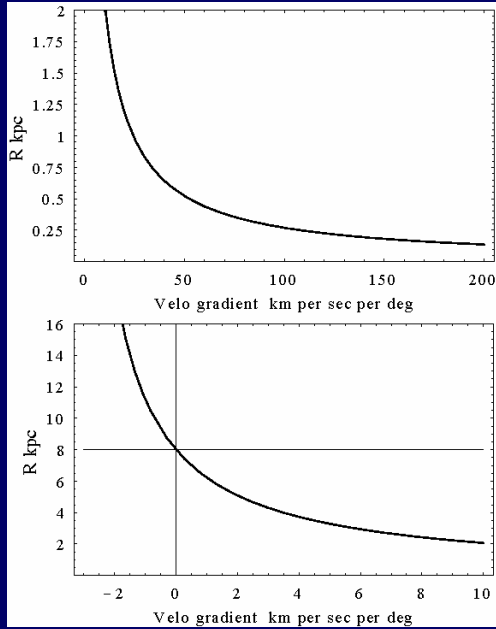
$$v = R_0(\omega - \omega_0) \sin l = \left\{ \frac{R_0}{R} V - V_0 \right\} \sin l,$$

$$\frac{dv}{dl} = \frac{R_0}{R} (V \cos l + 2Ar \tan p \sin l) - V_0 \cos l,$$

$$R = R_0 \left(V_0 \cos l + \frac{dv}{dl} \right)^{-1} (V \cos l - 2Ar \tan p \sin l).$$

$$R = R_0 \frac{V}{V_0} \left(1 \pm \frac{1}{V_0} \frac{dv}{dl} \right)^{-1},$$

Approximate
R for $V=V_0$



dv/dl

Contributions to dv/dl by

Non-circular motion

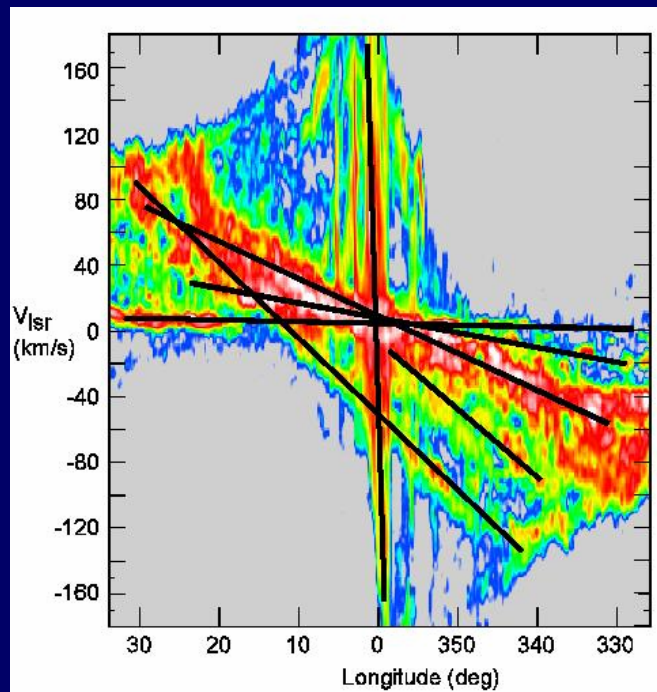
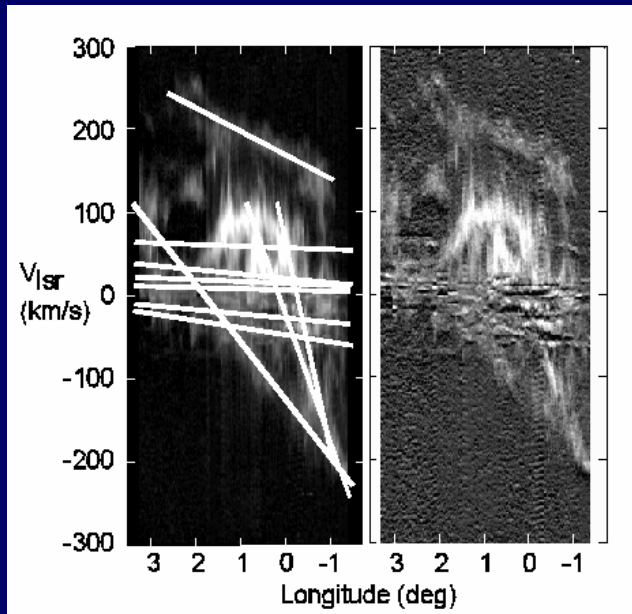
Streaming motion

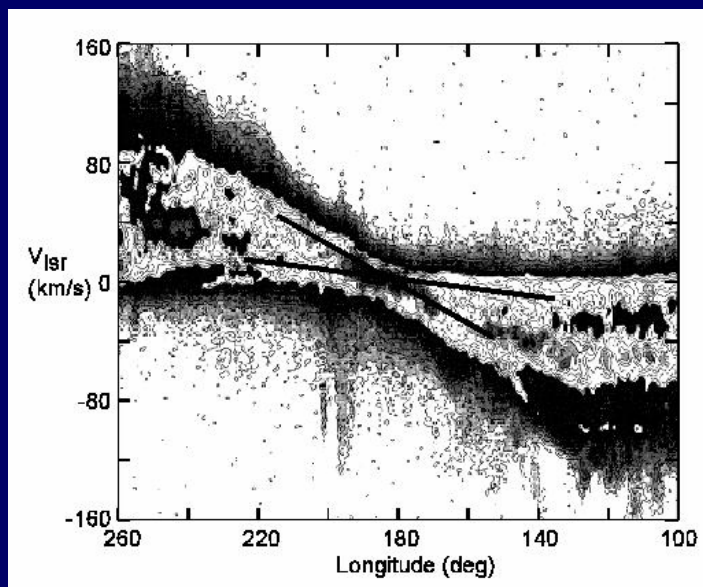
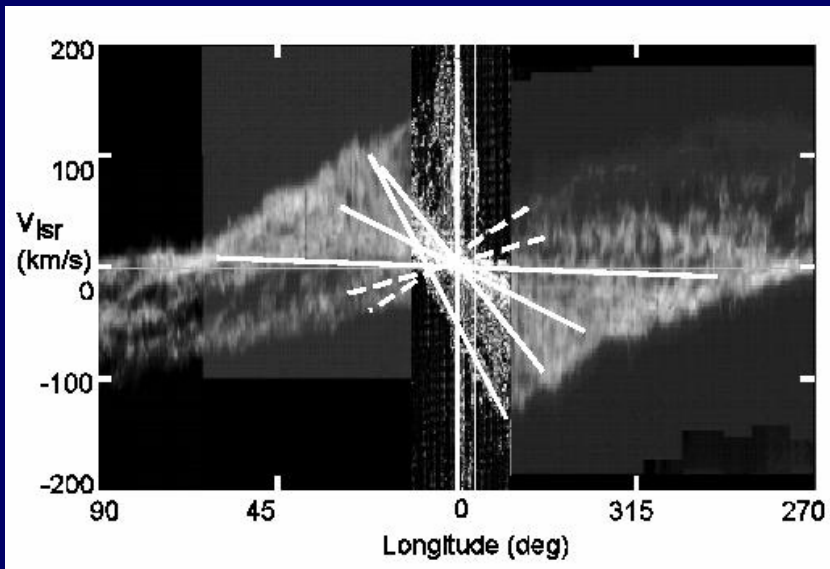
Expanding motion

Contraction

Random motion of clouds

are $\ll |dv/dl|$ by circular rotation

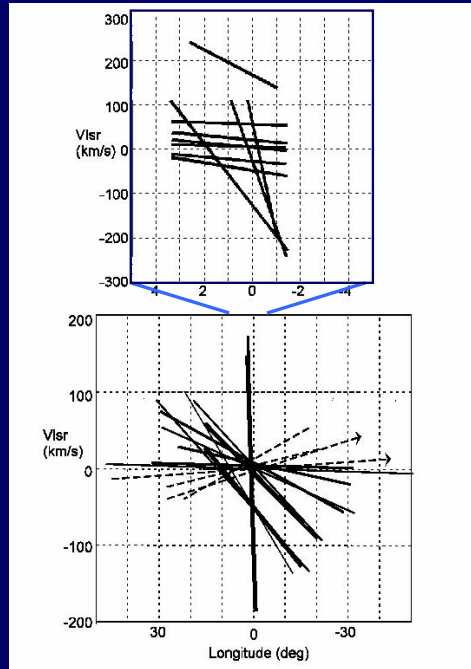




LV Slope

dv/dl

[km/s/degree]



$$R = R_0 \frac{V}{V_0} \left(1 \pm \frac{1}{V_0} \frac{dv}{dl} \right)^{-1},$$

$$R = R_0 \left(\frac{V}{200 \text{ km s}^{-1}} \right) \left(1 \pm 0.286 \frac{dv}{dl^\circ} \right)^{-1} [\text{kpc}],$$

Iteration:

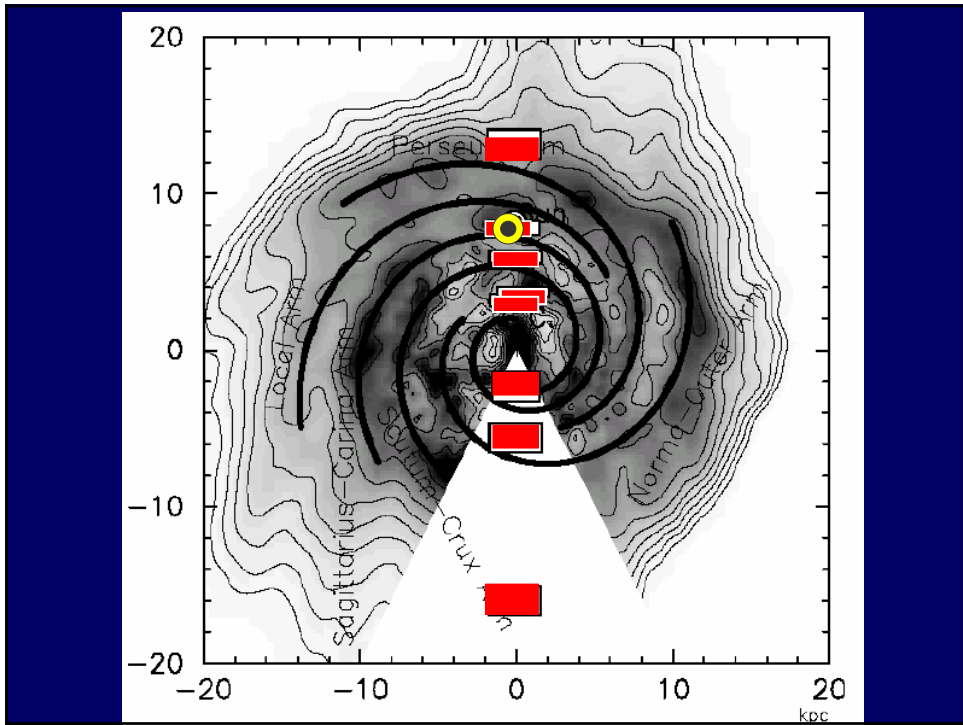
$V = V_0, R, V = V(R), R, V = V(R),$
 \dots, R (final)

Iteration result

dv/dl° ($\text{km s}^{-1} \text{ deg}^{-1}$)	radial velocity (km s^{-1})	R (kpc)	Iterated R_i (kpc)	$r = 8.0 - R$ (kpc)
CO LV ridges in figure 6a				
1.4	6.5	5.7	$R_4 = 6.5$	2.5
2.1	15	5.0	$R_4 = 5.6$	2.4
5.1	21	3.3	$R_2 = 3.3$	4.7
4.9	-27	3.3	$R_2 = 3.3$	4.7
8.6	47	2.3	$R_2 = 2.3$	5.7
2.0	57	5.1	$R_3 = 5.7$	2.3
152	-30	0.18	$R_4 = 0.28$	7.72
250	60	0.11	$R_5 = 0.15$	7.85
71	-131	0.37	$R_4 = 0.54$	7.46
2.8	170	0.89	$R_4 = 0.26$	7.74
CO and HI LV ridges in figure 6b				
0.10	4.6	7.8	$R_1 = 7.8$	0.2
0.12	0.7	7.7	$R_1 = 7.7$	0.3
0.89	7.5	6.4	$R_6 = 7.1$	0.9
1.82	1.2	5.3	$R_6 = 6.1$	1.9
2.23	8.4	4.9	$R_3 = 5.4$	2.6
4.1	-5.1	3.7	$R_5 = 3.9$	4.1
4.4	4.0	3.5	$R_4 = 3.6$	4.4
4.6	-52	3.5	$R_2 = 3.5$	4.5
4.9	-50	3.3	$R_4 = 3.2$	4.8
6.8	-49	2.7	$R_2 = 2.6$	5.7
-1.1	4.8	11.7	$R_8 = 16$	8
-2.31	13.0	23.6	$R_3 = 24$	8
-0.28	0.4	8.7	$R_3 = 8.4$	0.6
-0.88	8.3	10.7	$R_4 = 13.2$	2.8

Arm identification

Radial velocity (km s^{-1})	Iterated R_i (kpc)	Arm identification ¹
-30 60	0.28 0.15	GC molecular ring: Arm I (Sofue 1995a) GC molecular ring: Arm II
-131 170	0.54 0.26	GC expanding ring
-52 -50 -49 -27	3.5 3.2 2.6 3.3	3-kpc Expanding ring
-45 ± 12	3.1 ± 0.4	
47 57	2.3 5.7	Expanding Ring beyond GC
-5.1 4.0 21	3.9 3.6 3.3	4-kpc molecular ring
6.6 ± 13	3.6 ± 0.3	
8.4 1.2 6.5 15	5.4 6.1 6.5 5.6	Scutum-Crux arm
7.8 ± 5.6	5.9 ± 0.5	
7.5 0.7 4.6 0.4	7.1 7.7 7.8 8.4	Sgr-Carina/Local arm
3.3 ± 3.4	7.75 ± 0.5	
8.3	13	Persues arm
4.8	16	Outer arm beyond GC
13.0	24	Outermost arm beyond GC



Discrepancy between known arms and Present arm positions is due to different RCs

この論文の評価Referee's comment

It's debatable whether this paper is worthy of publication since the transformation of Galactic rings into LV lines has been common knowledge among galactic astronomers for decades and much more general model fits of spiral loops in CO and HI LV diagrams have been carried out by many researchers over the past fifty years. The fitting in the present paper can be considered rather myopic in the sense that it fits only small sections of arms toward the center and anti-center.

Still, since I know of no other study that discusses specifically the use of stripe slopes as distance indicators in directions commonly considered to be the most difficult for distance determination, I recommend publication after the discussion of the various effects that can modify the slope of a stripe is made more rigorous.